

# Search for Long-Lived Dark Photons & ATLAS Detector Upgrades

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COLUMBIA UNIVERSITY



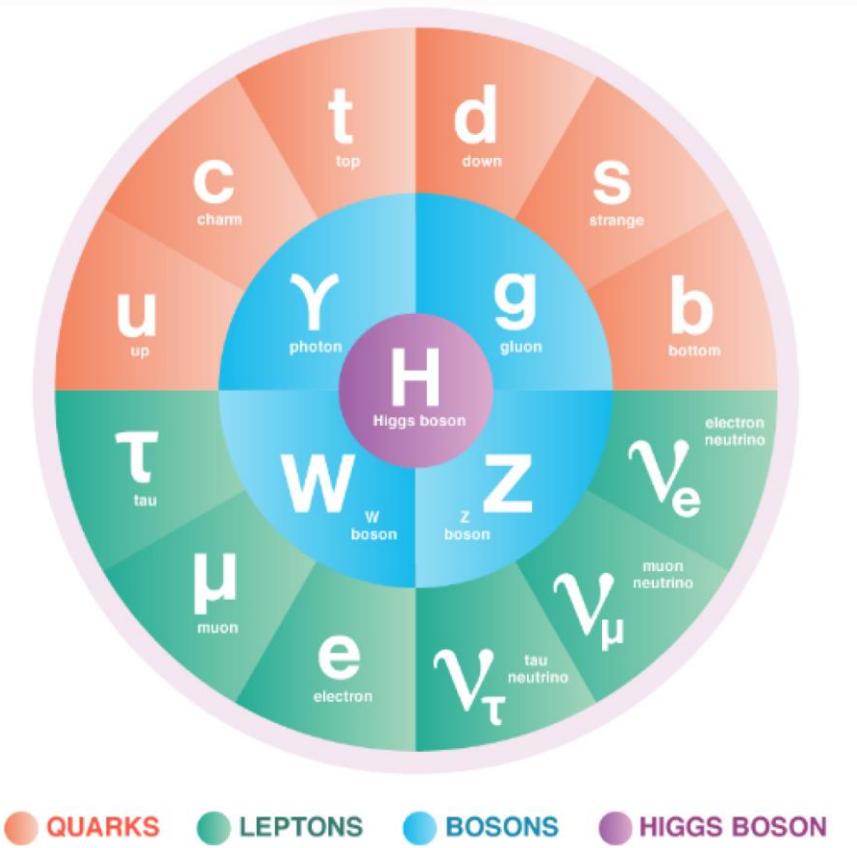
# Introduction

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# The Standard Model and Beyond

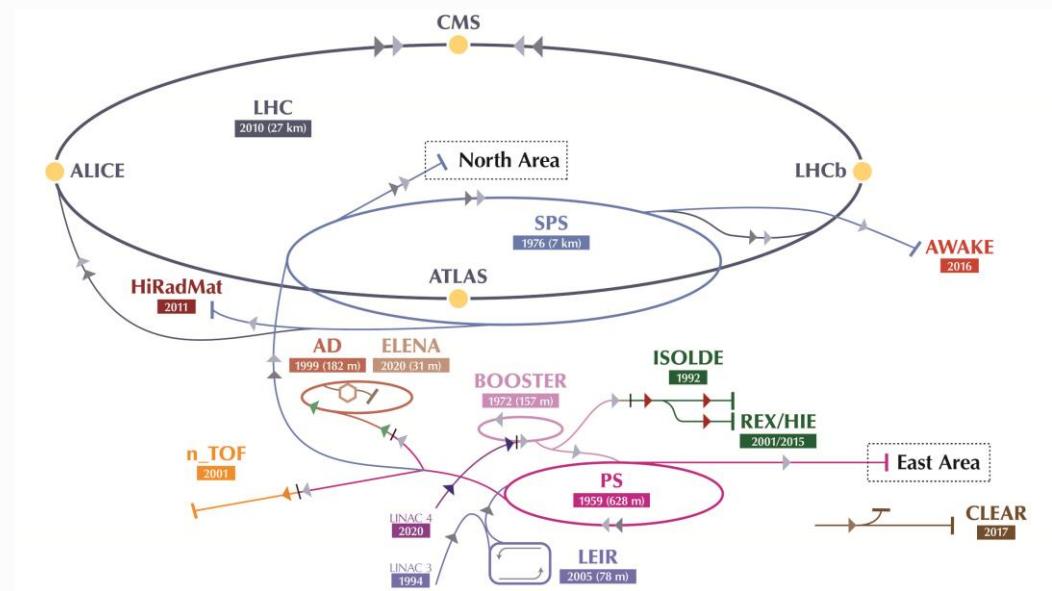
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- Describes elementary particles and phenomena
- Classifies particles as:
  - Fermions: Quarks and leptons, coming in 3 generations, 1<sup>st</sup> generation fermions make up stable particles
  - Bosons: Force carriers and the Higgs boson
- Still incomplete, with dark matter being one thing not accounted for despite making up 27% of the universe



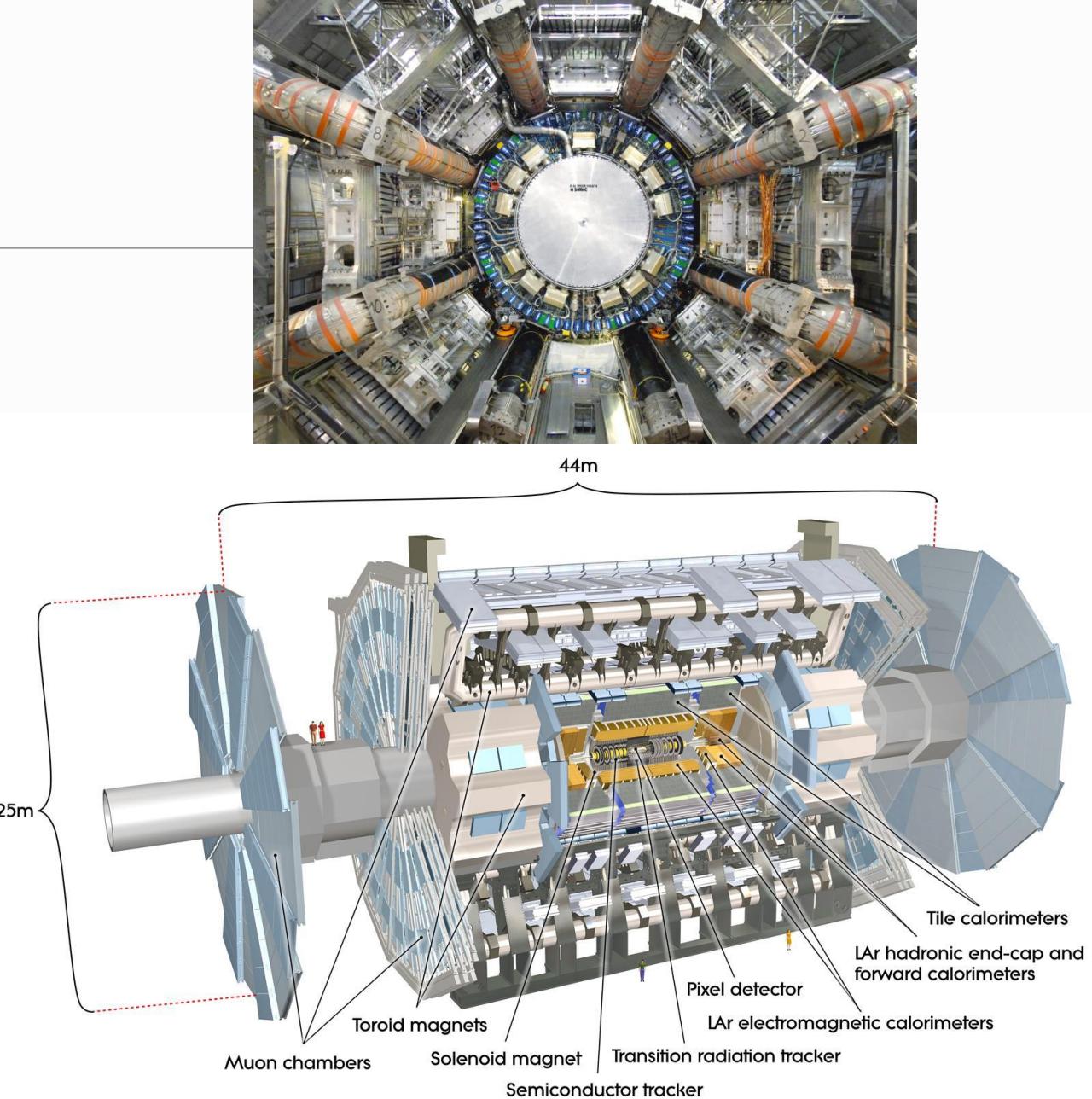
# The Large Hadron Collider (LHC)

- Particle accelerator at CERN capable of proton-proton collisions at  $\sqrt{s} = 14$  TeV
- Its tunnels are 27 km long under the French-Swiss border in Geneva
- Largest and highest-energy particle accelerator in the world



# The ATLAS Detector

- One of 2 general purpose detectors at the LHC
- Weighs over 7000 tons and sees over 1,000,000,000 collisions per second
- Comprised of an inner detector, electromagnetic and hadronic calorimeters, and a muon spectrometer

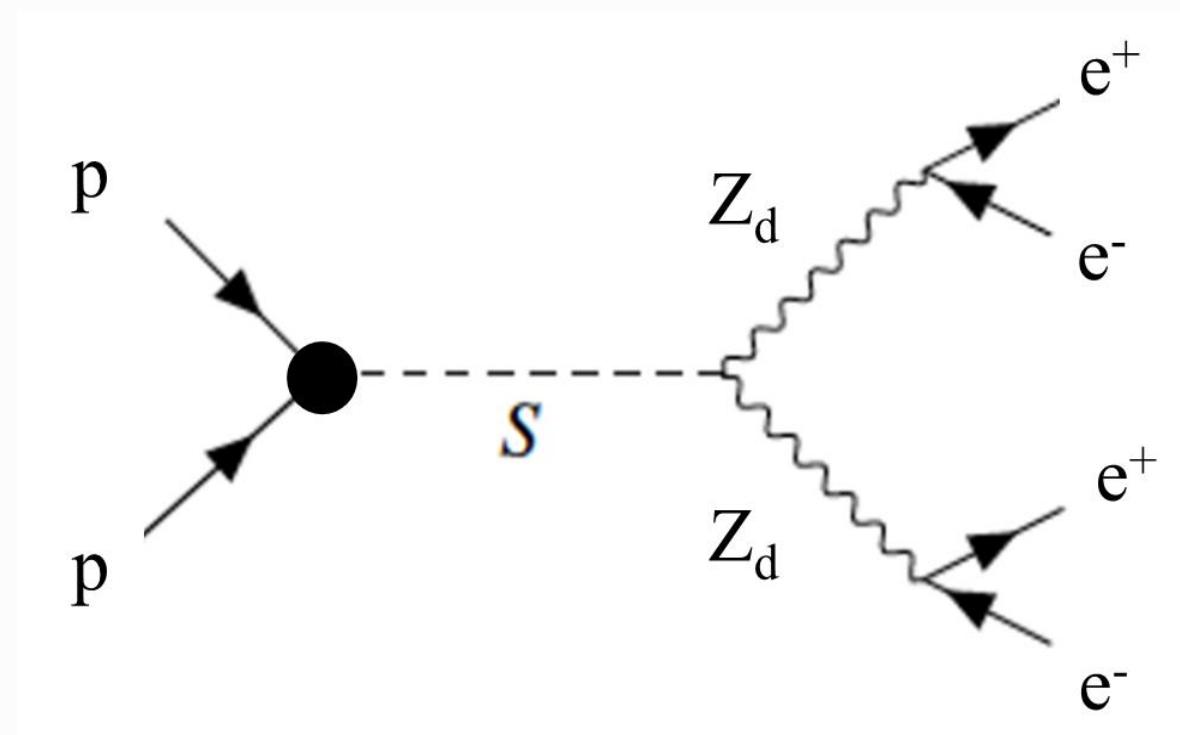


# Mass Resolution Study in Long-Lived Dark Photons Search

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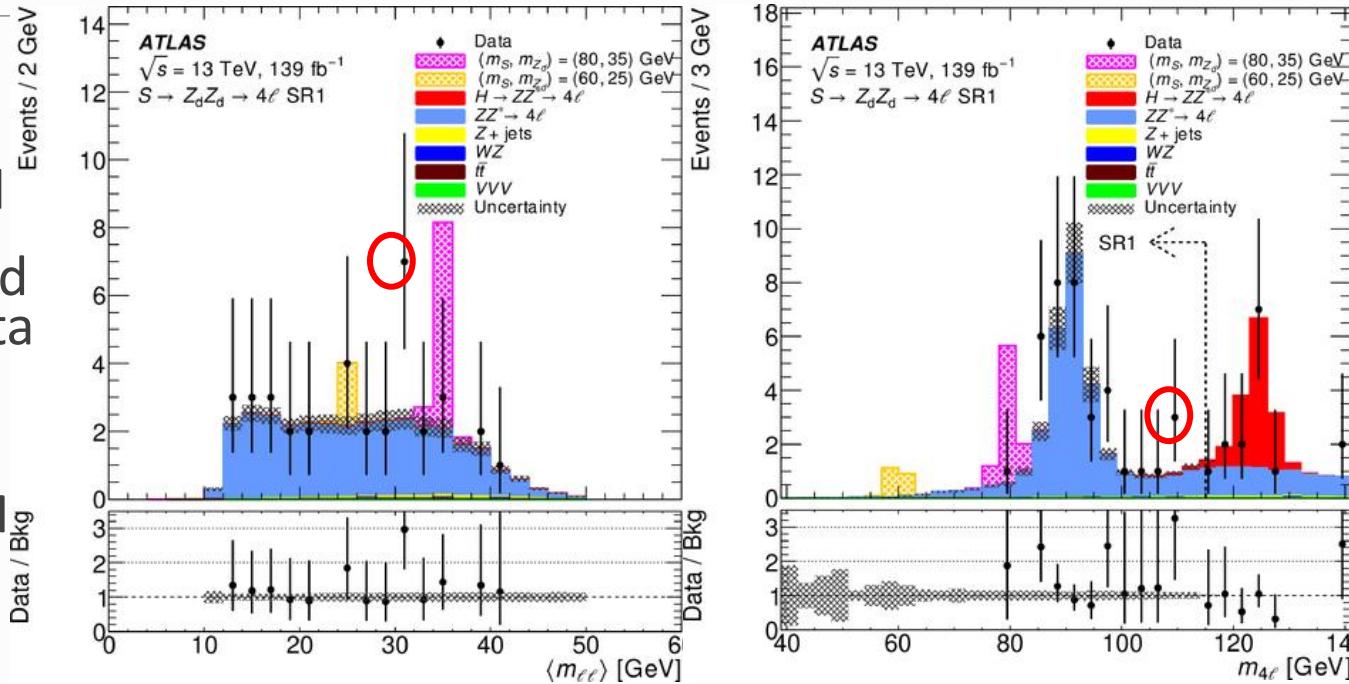
# The Hidden Abelian Higgs Model (HAHM)

- One possible dark matter theory
- Proposes the existence of “dark photons” ( $Z_d$ ) which decay from a Higgs-like scalar ( $S$ ) and into a 4-SM-fermion final state
  - We are interested specifically in the 4-electron final state
- The dark photons can have lifetimes to the order of picoseconds/nanoseconds (long-lived) if their coupling with SM fermions is small
- The parameters of this theory are  $S$  mass,  $Z_d$  mass, and the lifetime of the dark photons



# Prompt Dark Photons Search

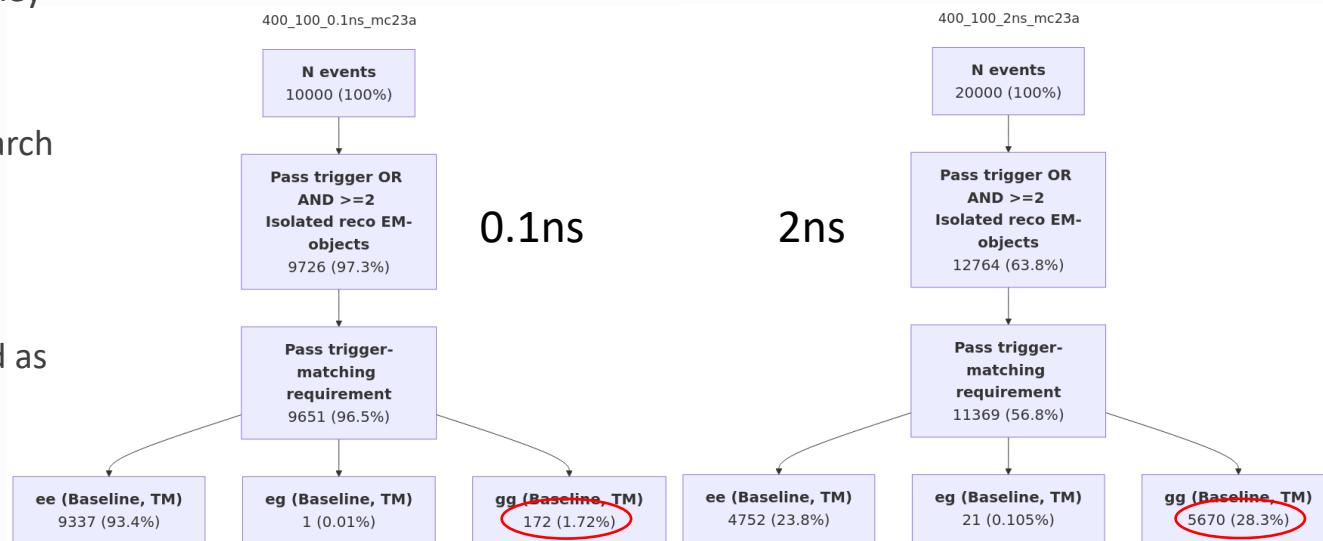
- A search for prompt dark photons (not long-lived) has already been conducted
- Filled-in histograms represent simulated background, the dots represent the data
  - $m_{\ell\ell}$  and  $m_{4\ell}$  are the proxies for Zd and S masses respectively
- The data found agreement with the SM and set limits on the dark photon possibilities
- Found a small ( $1.6\sigma$ ) excess around  $m_S=110$  GeV and  $m_{Z_d}=30$  GeV
  - This makes this mass point of special interest in the current long-lived search



<https://arxiv.org/abs/2410.16781>

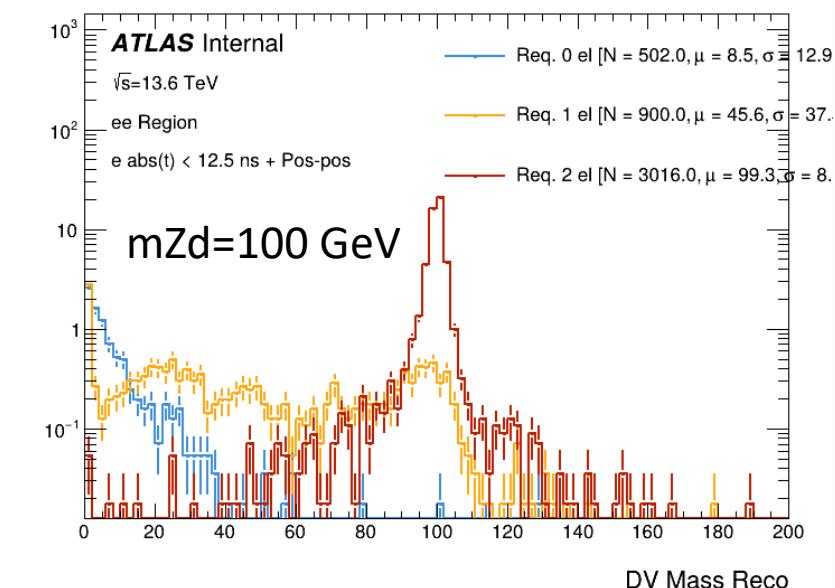
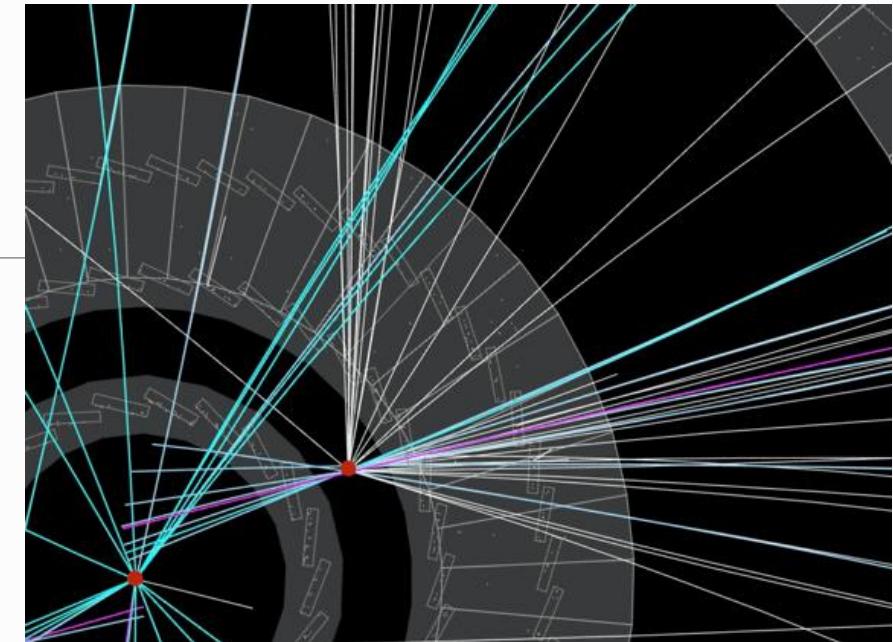
# Long-Lived Dark Photons Search

- The lifetime of long-lived particles allows the possibility that they move from the primary vertex before decaying at a displaced vertex (DV), resulting in displaced electrons
  - These could thus evade the limits of the prompt search and explain the relative faintness of the signal in the prompt search
  - We only require at least two objects instead of all four
- Our analysis looks at the “ee channel” with two reconstructed electrons
  - Displacement can lead to electrons being mis-reconstructed as photons, so others are working on the “ $\gamma\gamma$  channel” for this case which can become increasingly important for longer lifetimes, with increased displacements leading to higher probabilities to miss the charged track in the inner detector
- We look at simulated signals with  $m_S$  between 60 and 600 GeV,  $m_{Zd}$  between 10 and 290 GeV, and  $Zd$  lifetime values of 0.1, 0.5, 2, and 10 ns
  - This means we can also investigate the slight excess observed in the prompt search



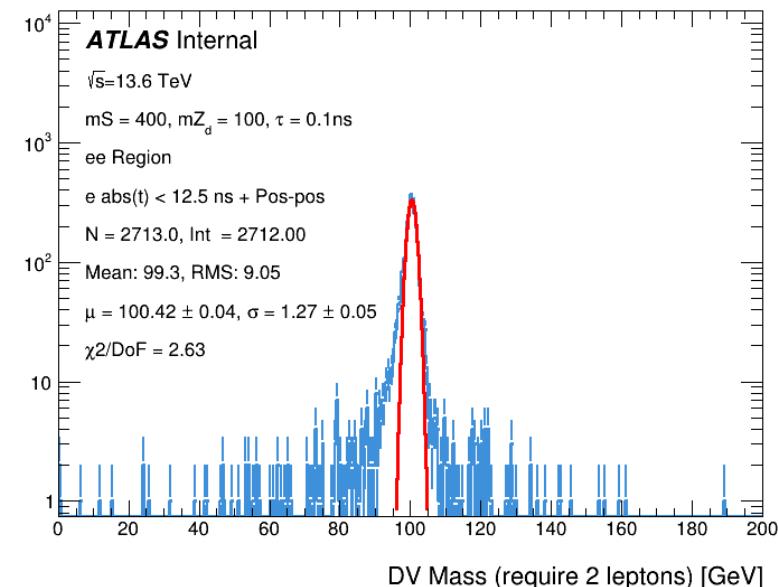
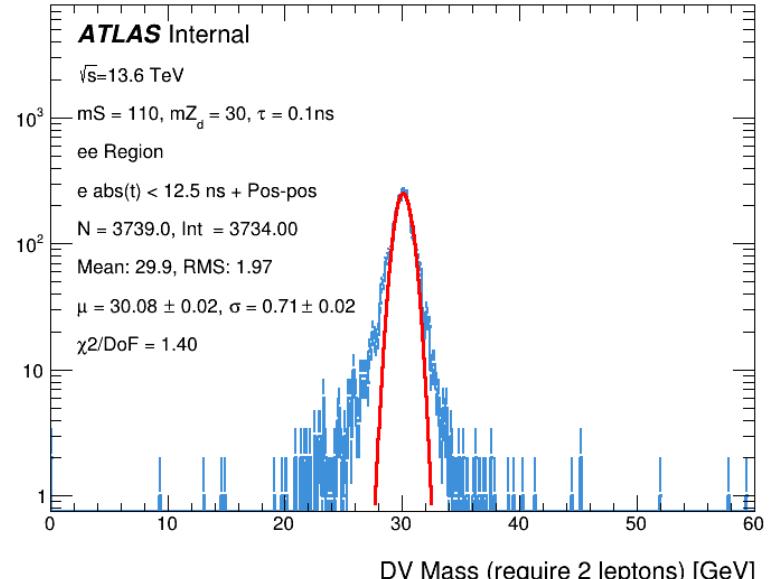
# Displaced Vertexing

- Displaced Vertices (DVs) are where particle tracks meet which are far away from the primary vertex where collisions occur
- DV-matched electrons are electrons which are reconstructed and traced back to a DV
- Others have worked on optimizing an algorithm to sort candidate DVs based on charged particle tracks
- The reconstructed mass of the DVs heavily relies on the number of matched reconstructed electrons
  - The following study measuring how well the DV mass is reconstructed focuses on the (ideal) case with 2 reconstructed electrons per DV



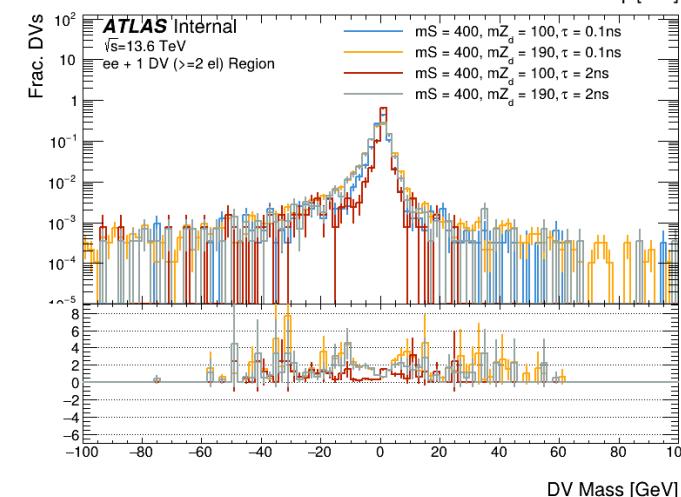
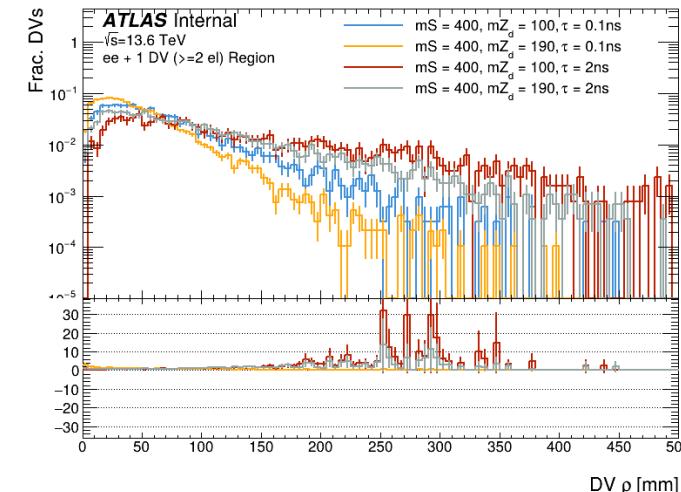
# Mass Resolution Study

- My work involves studying the DV mass resolution
  - This means plotting the masses of DVs in Monte Carlo simulated signals and finding  $\sigma$  of a truncated gaussian fit
  - The fit is performed iteratively to focus on the core and account for non-gaussian tails
- The better (narrower) a signal's mass resolution is, the better we can reconstruct the mass of the  $Z_d$  and therefore the better we can discriminate the signal from the background



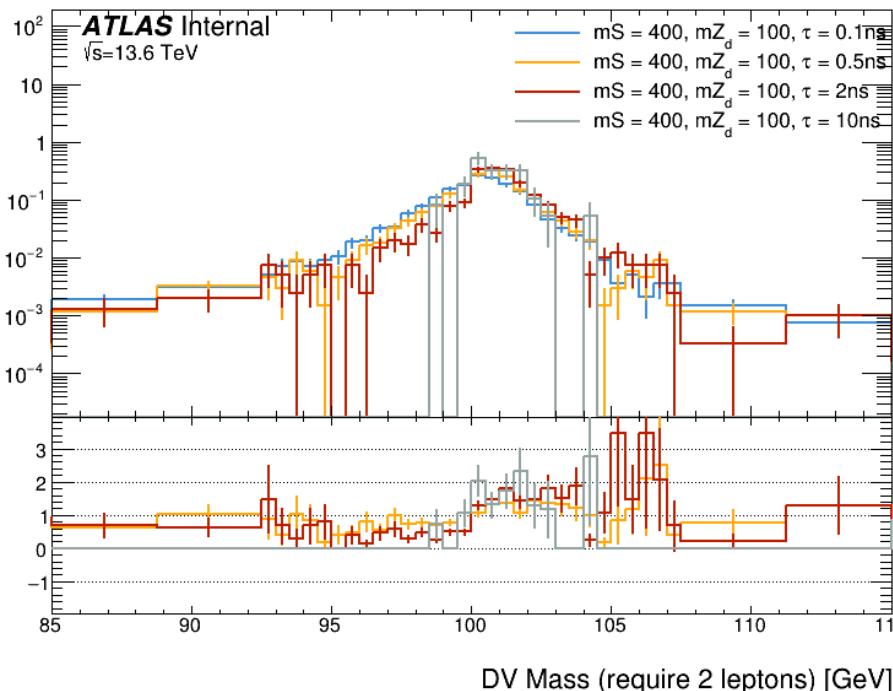
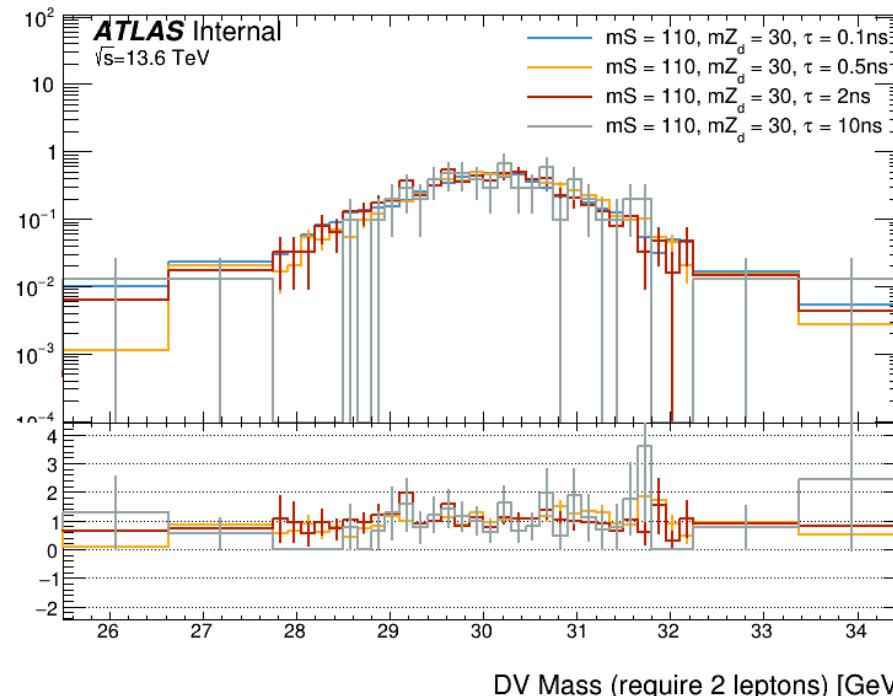
# Looking Across Lifetimes/Masses

- We have Monte Carlo signal samples across 17 mass points each with 4 lifetimes
- We must account for differences in mass and in lifetime when performing the analysis
- Our studies showed that the mass resolution does not depend on lifetime (see next slide)



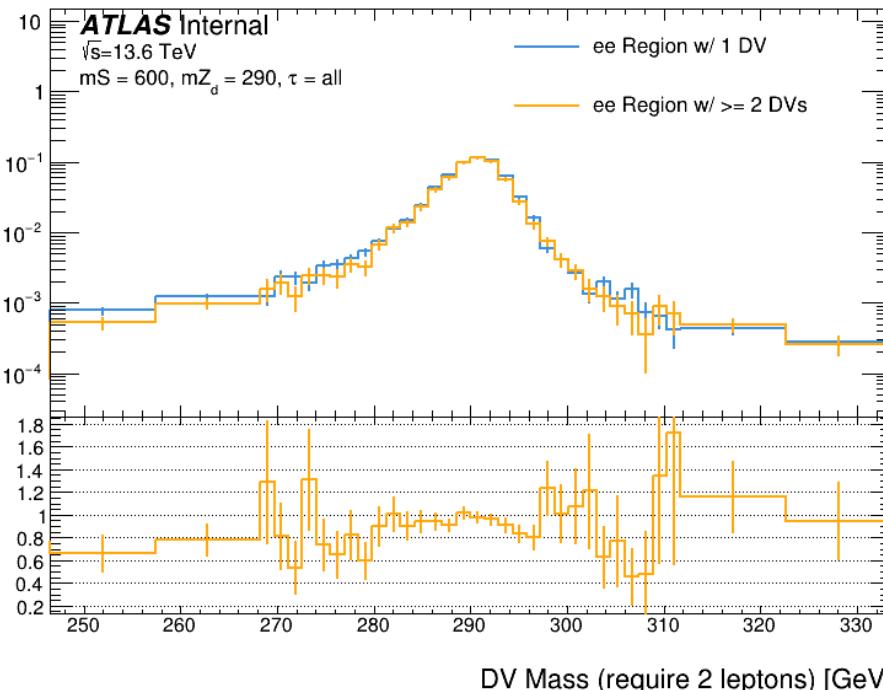
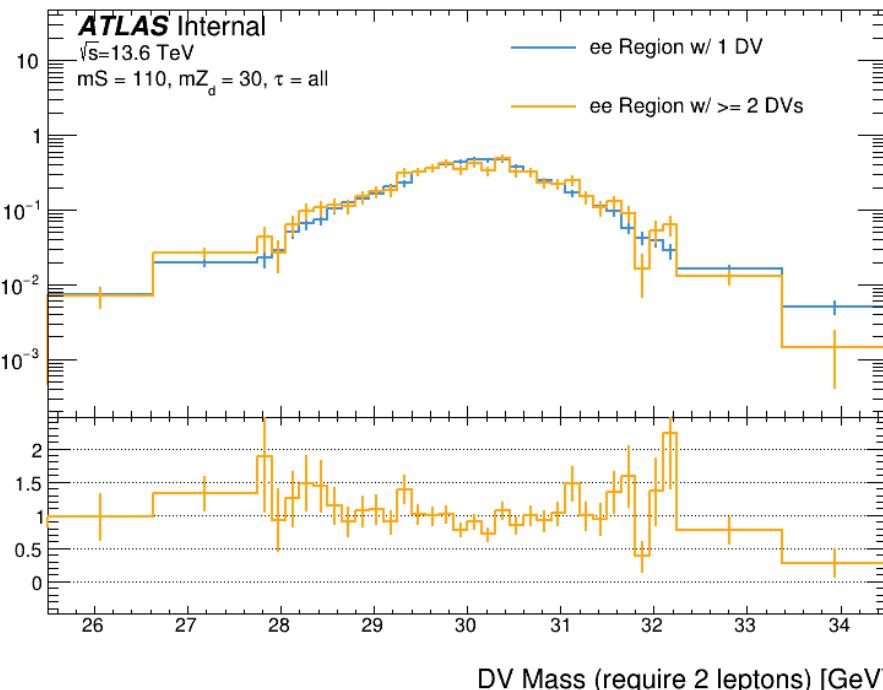
# Resolution Dependence on $Z_d$ Lifetime

- First overlaid and normalized the mass histograms for all lifetimes on the same plot for each mass point
- There did not appear to be significant difference between the lifetimes, which justifies using the combined signals from all lifetimes together for this analysis
  - Instead, increasing lifetime just decreases the number of reconstructed DVs



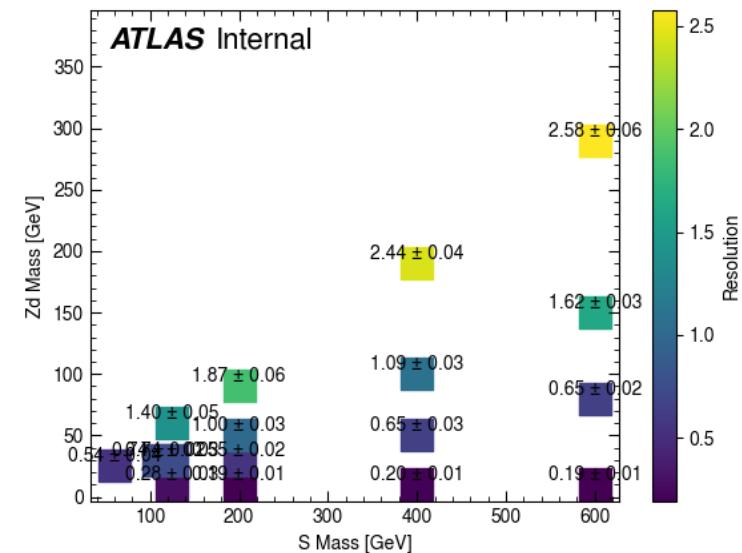
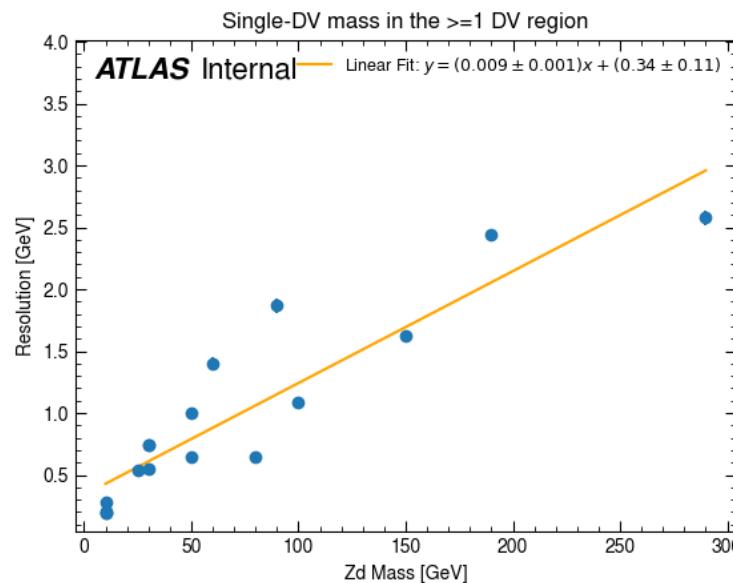
# Resolution Dependence on Number of Reconstructed DVs per Event

- There are cases where only 1 DV is detected per event, and others where we have at least 2 DVs, so we must look at these differently too in case there is a difference, as we're less likely to mistakenly pair electrons from different DVs if there are 2 reconstructed compared to if there is only 1
- Next overlaid and normalized the mass histograms for both regions
- Again, did not see a significant difference so we can focus on the combined region with at least 1 DV



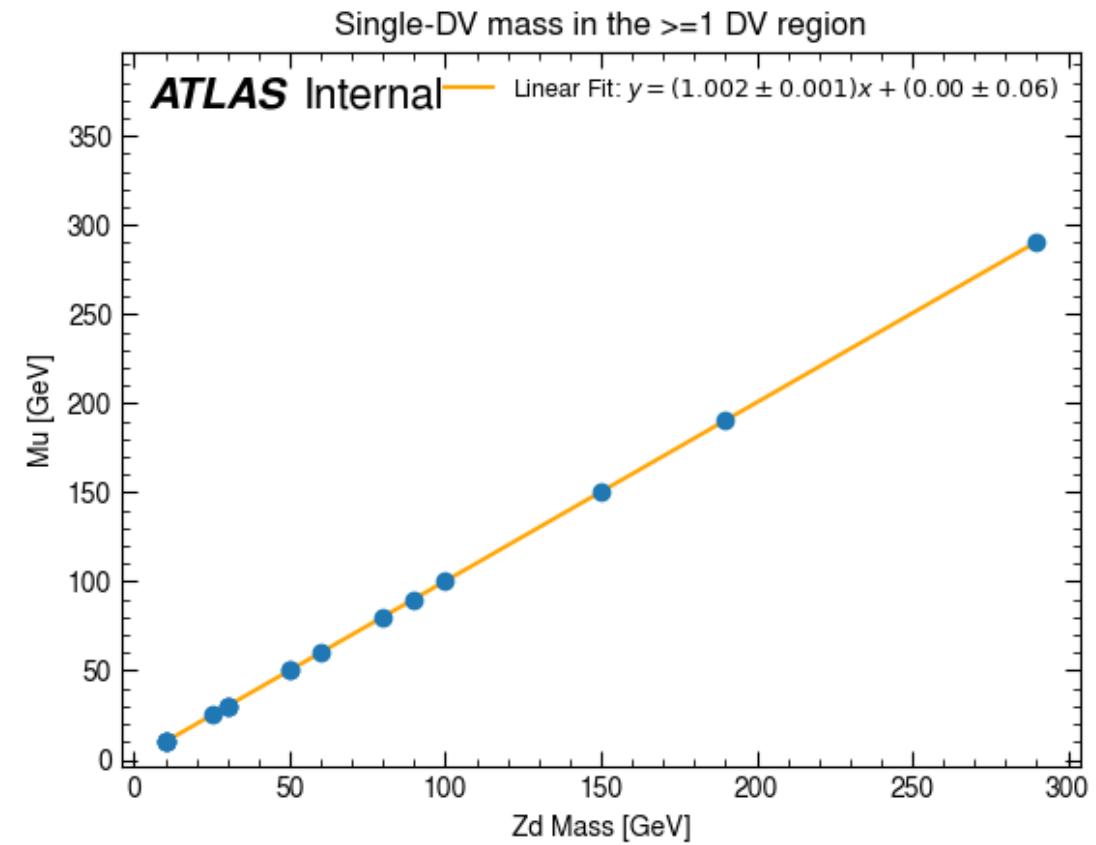
# Mass Resolution Versus Zd Mass

- Plotted, fitted, and retrieved the resolution for each mass point in this combined region
- Resolution follows a linear trend against mZd with a slope of .01
- Resolution also increases with smaller effect against mass splitting for a fixed mZd
  - This effect of mass splitting can explain the variation around the fit in the plot against mZd



# Mu (Mean) vs Dark Photon Mass

- To confirm linearity, the  $\mu$  values of the gaussian distributions were also plotted against  $m_{Zd}$
- Shows there is no observed bias in the reconstructed mass versus the truth mass, with a slope of 1 and an offset of 0

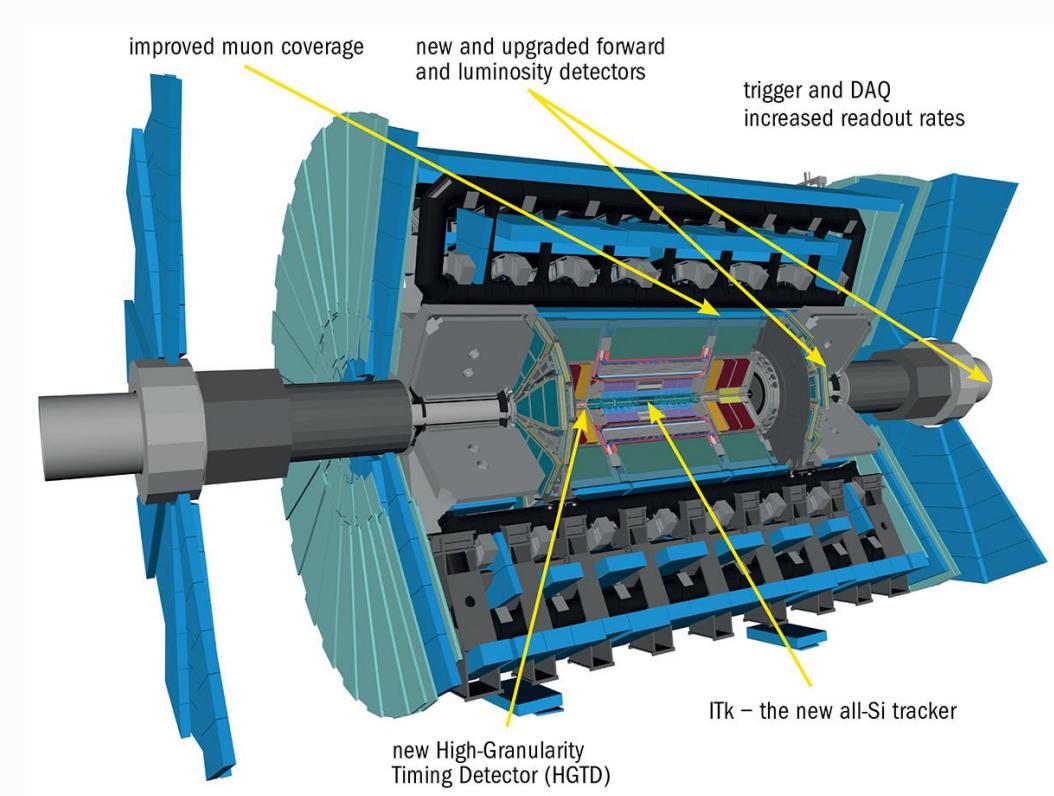


# Front End Board Upgrades for the ATLAS Liquid Argon Calorimeter

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# The High Luminosity LHC (HL-LHC)

- The LHC will soon be upgraded to the High Luminosity LHC which will produce a much higher (up to 10X) rate of particle collisions than we do now
- The larger rate of collisions will require upgrades to ATLAS and other detectors in order to handle the larger amount of events



# The Front-End Board 2 (FEB2)

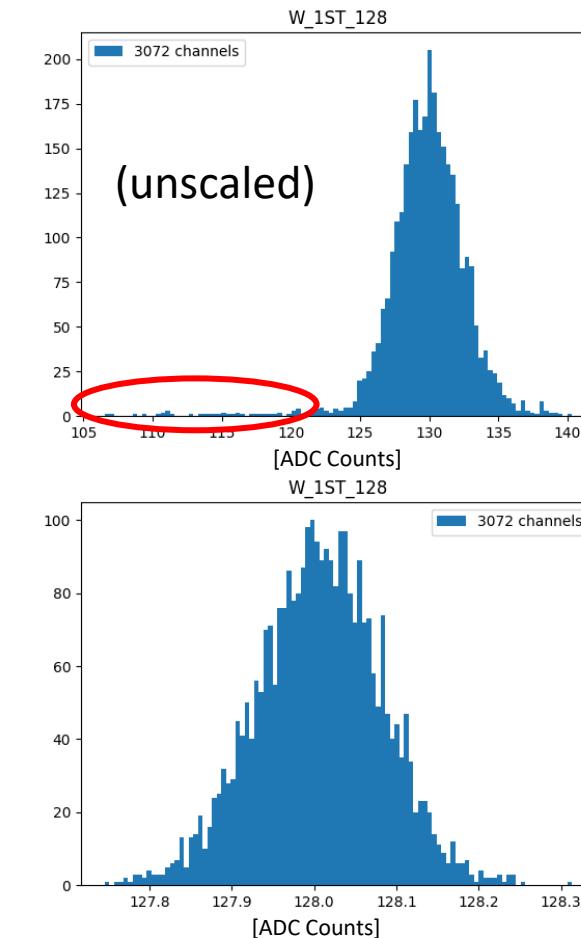
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- One necessary upgrade is to the LAr Calorimeter, and Columbia is developing the new Front-End Boards which digitize the signals from the produced currents
  - The upgrade will require 1524 boards to read out all the ~200k channels of the LAr calorimeter
- These boards include custom designed COLUTA analog-to-digital (ADC) ASIC chips which digitize the LAr calorimeter signals to convert the measured (analog) voltage into binary (digital) numbers



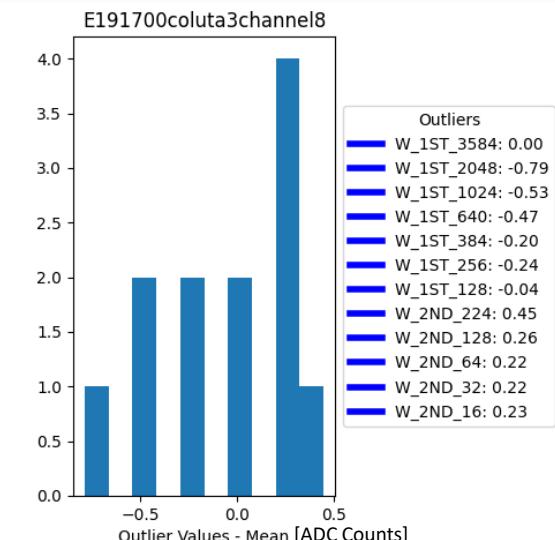
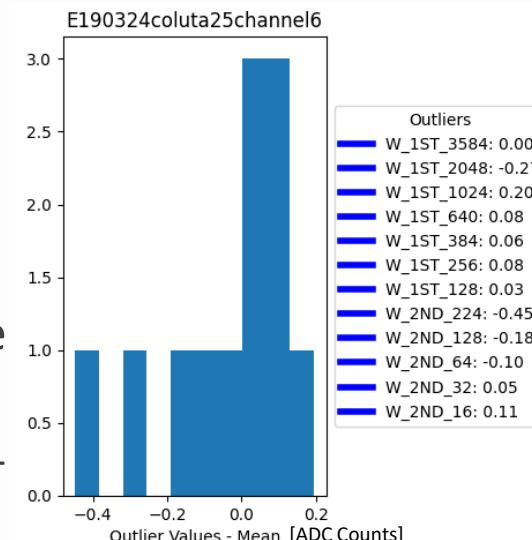
# Calibration Constant Histograms

- Each board has 32 COLUTA chips and each chip has 8 channels, each with their own set of calibration constants
- The chips are robotically tested standalone at UT Austin and in Saclay (Paris) and sorted for constants within 20% of the mean
  - Our goal is to identify an acceptable range for a chip's constants to be within to use for quality control testing, and to test the chips we receive in situ to cross check that they are satisfactory
- For each of the constants, we plot the distribution of the values across all channels
- Some of the constants are offset by a scaling factor, which when accounted for makes the distribution thinner
  - Scaling the constants makes the histograms go from having many non-gaussian outliers to having a much cleaner shape



# Calibration Constant Outlier Analysis

- For these distributions, channels were identified if their unscaled constants had any values which were outliers ( $\pm 5\sigma$ )
- The difference between these unscaled outliers and the mean were then plotted, with many of the plots looking almost identical
- Taking these constants which were unscaled outliers and scaling them before plotting, the pattern went away, and the differences became small
  - This tells us that the scaling and sorting done at UT Austin/Saclay is working and our constants are within an acceptable range, since constants which are outliers while unscaled are no longer outliers after scaling



# Next Steps

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## Dark Photon Search

- The results of these DV mass reconstruction studies will be used to search for a signal over background in 2-lepton DV events
- We are performing similar studies for the 1-matched-lepton case to optimize how to treat those events
- We've plotted the MC signals for the 0 matched lepton case
  - Now we're ready to start looking at data in the 0 matched lepton case since it's not our signal region

## FEB2

- The boards will soon go into mass production and quality control (QC) will be run on them
- The QC process will use these distributions of constants to help determine if a chip is up to quality

# Acknowledgements

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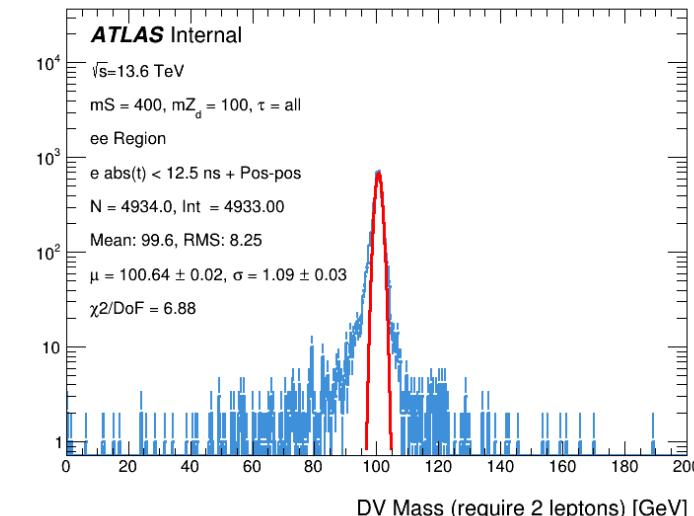
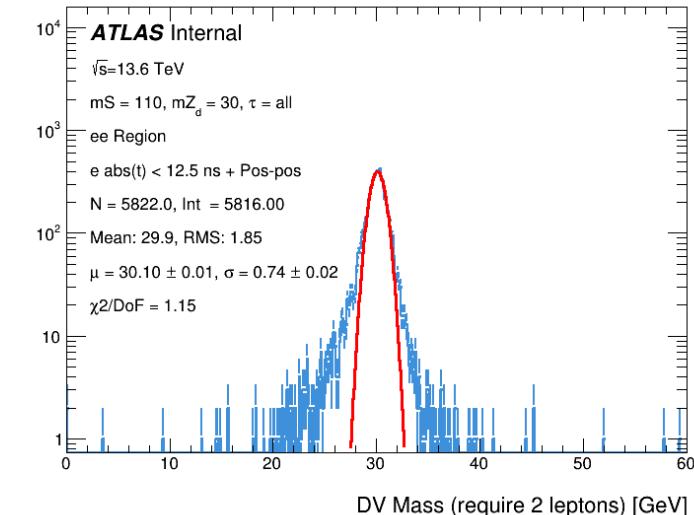
- Thank you to Professor John Parsons, Professor Georgia Karagiorgi, Professor Reshmi Mukherjee, Amy Garwood, and everyone at Nevis for making this REU possible
- Thank you to Eleanor Woodward, Dr. Daniel Williams, Dr. Jonathan Long, and Dr. Lauren Osojnak for guiding me and my work throughout this project
- Thank you to everyone in the Columbia ATLAS Group and all the other REU students for a great Summer
- This material is based upon work supported by the National Science Foundation under Grant No. PHY-2349438.

# Backup

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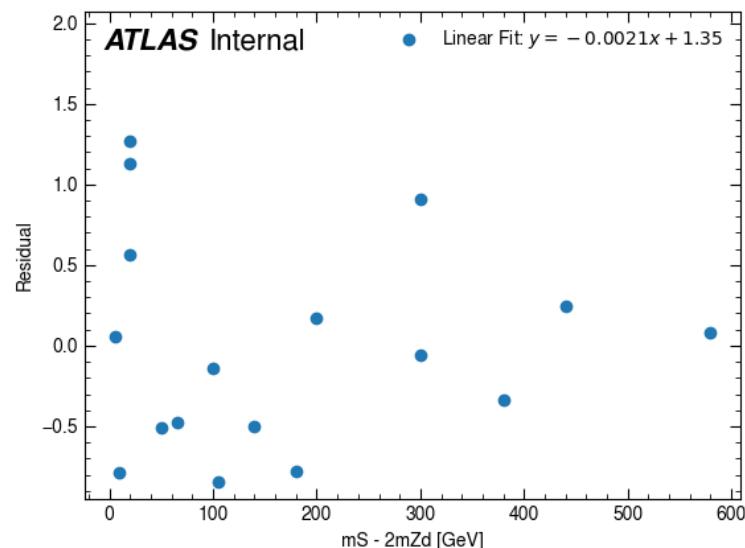
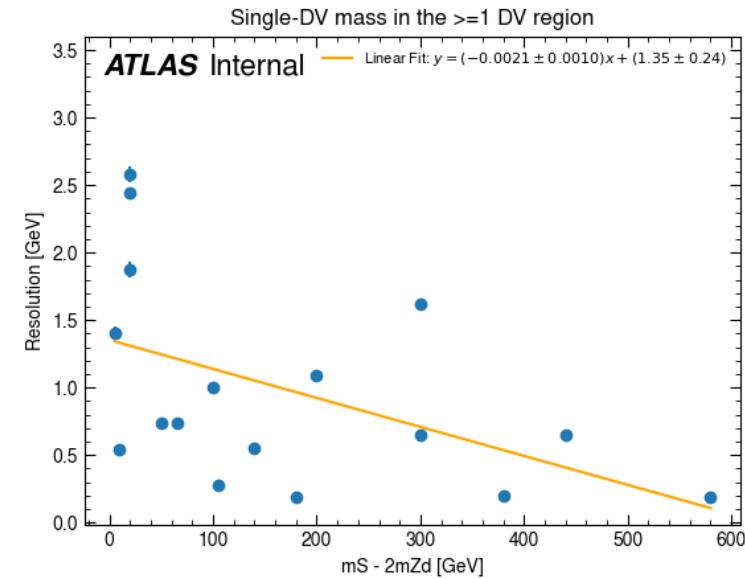
# Combined Lifetime/Region Mass Histograms

- Plotted the mass histograms of the combined lifetimes in the combined DV region
- Extracted  $\sigma$  of an iterative gaussian fit to these distributions as the mass resolution



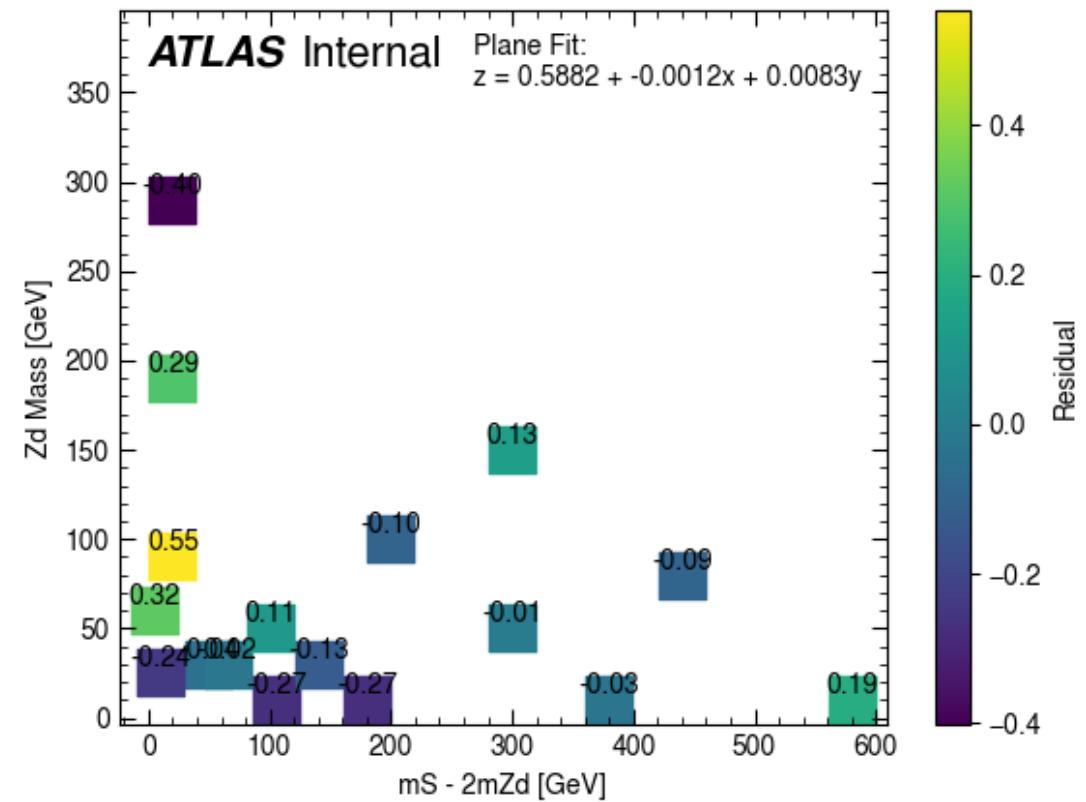
# Fitting to $m_S-2m_{Zd}$ (1D)

- To account for the dependence on both  $m_S$  and  $m_{Zd}$ , plotted resolution against  $m_S-2m_{Zd}$ 
  - This was chosen to account for available energy the  $S$  particle has for the  $Zd$  after producing the two  $Zds$
- Also produced a linear best fit to this plot
  - The residuals from this fit were plotted and seen to be small (less than 1.5 GeV) suggesting a good fit



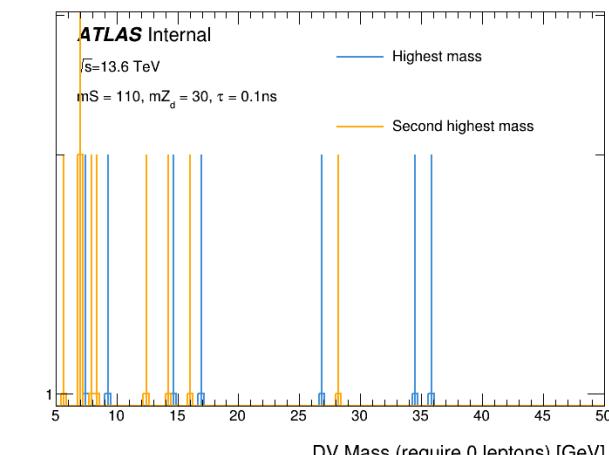
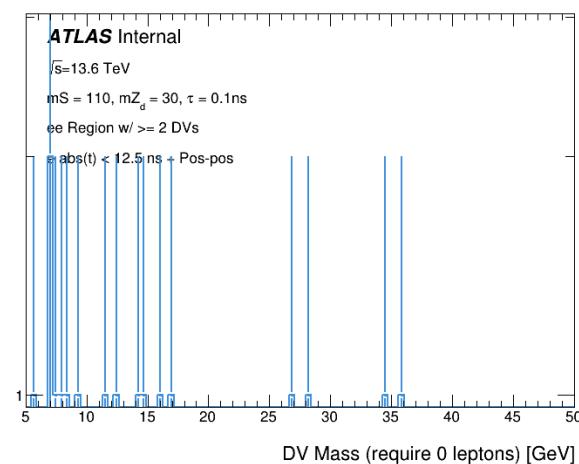
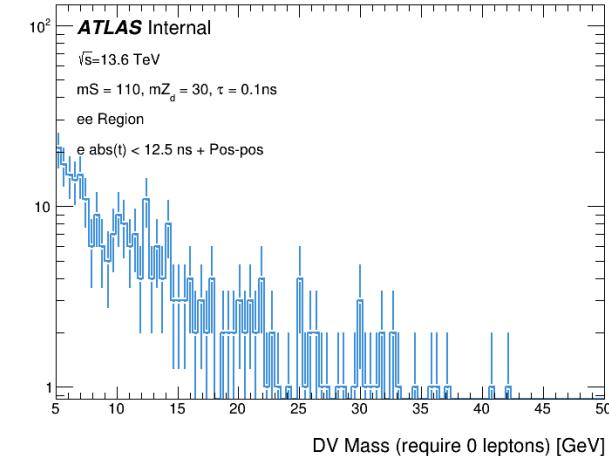
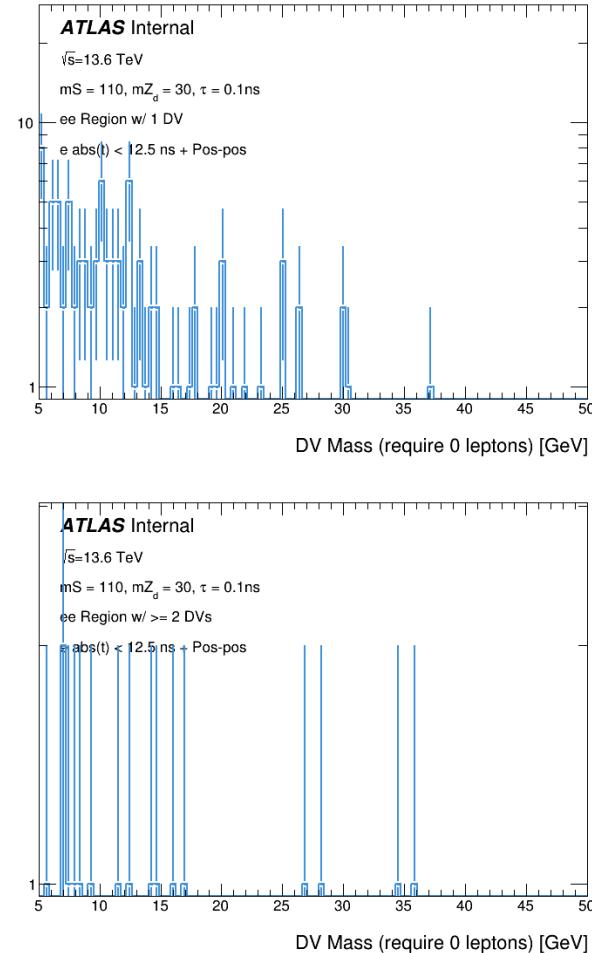
# Fitting to $mS-2mZd$ (2D)

- Also created a 3-dimensional plot of resolution against both  $mS-2mZd$  and  $mZd$  to account for the effects of both masses
- A plane was fit to the points, and the residuals from this plane were plotted against the two variables



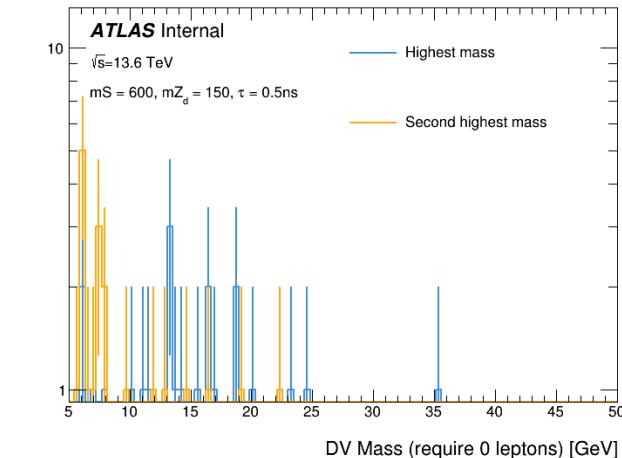
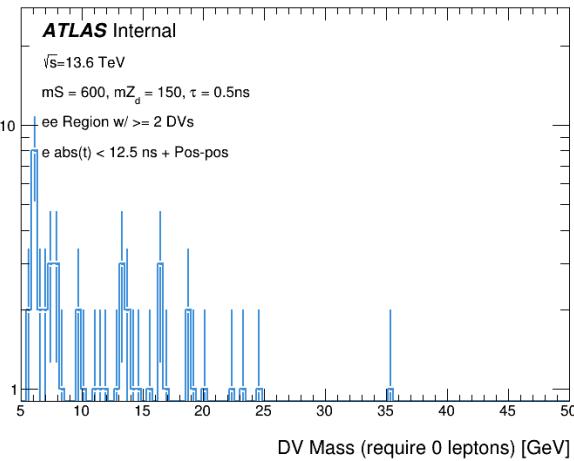
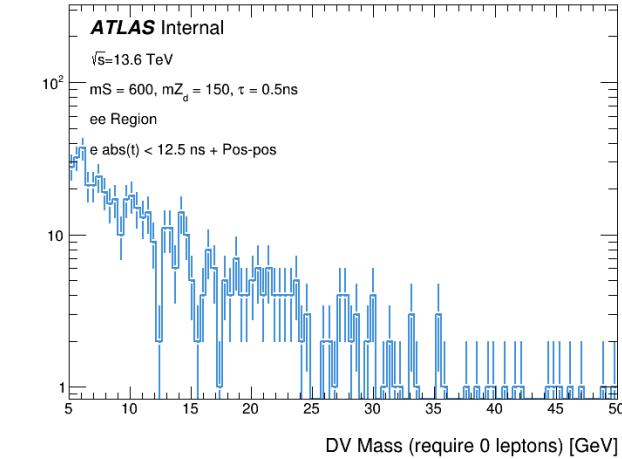
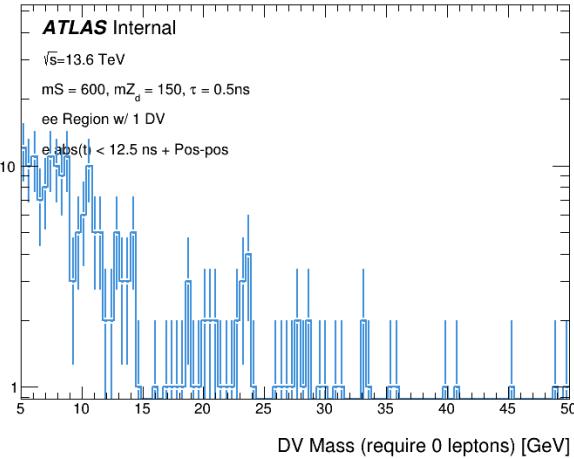
# 0 Matched Leptons Case

- Also began exploring the case where we have 0 matched electrons
- We're not able to reconstruct anything from these shapes, meaning there's no signal in it
- Therefore since this is a “blinded” search, we can now plot the data in this case without accidentally unblinding since there's no signal anyway



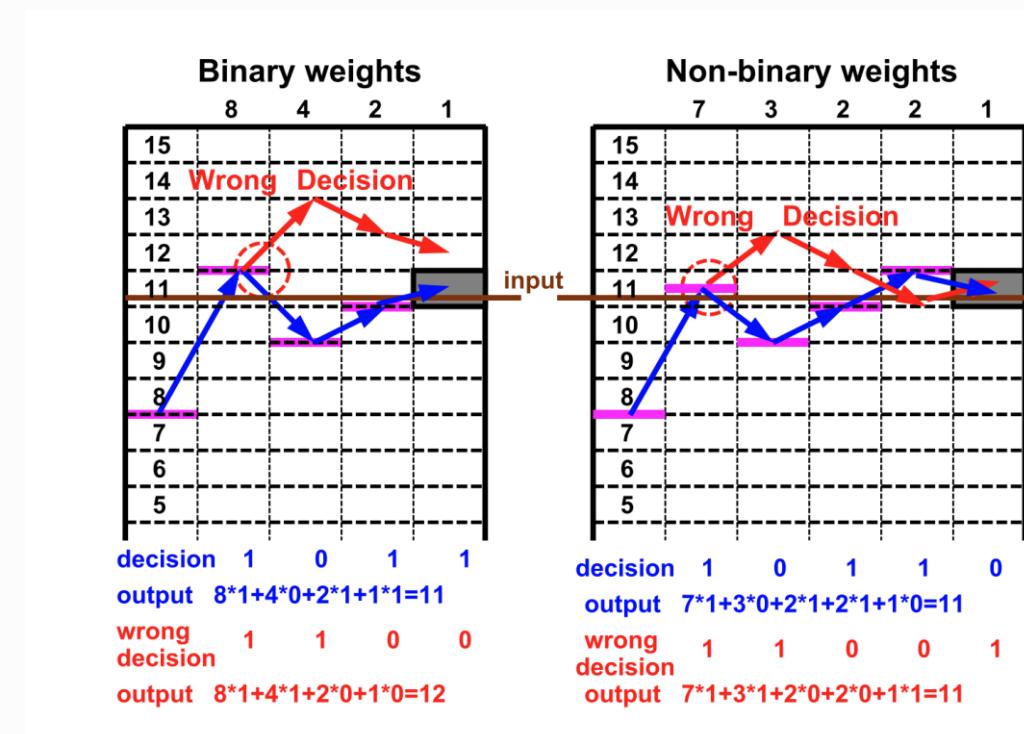
# Extra 0 Matched Leptons Plots

- Plots in the various DV regions of the 0 matched lepton case for a different mass point and lifetime



# COLUTA ADC ASIC Calibration Constants

- To optimize the speed of the chips, they use non-binary weights (calibration constants) to perform this digitization
  - We are willing to sacrifice some mistakes for speed, and unlike binary weights non-binary weights allow us to correct those mistakes later
- Ideally the weights would be the same among chips, but the capacitors inside them are inconsistent and cause small fluctuations



# Detailed Calibration Constant Explanation

- Binary weights (16, 8, 2, 4, 1) can be used to relate our binary and voltage numbers
  - If the voltage is greater than 16, add a 1
  - Then if the voltage is less than 16+8 add a 0
  - If the voltage is greater than 16+4 add a 1, and so on
- These binary weights only have one way to get to a specific number, so to correct mistakes we make for the sake of speed, we use non-binary weights which can recorrect us later

