

$\frac{\Delta\Gamma_S}{\Gamma_S}$ measurements – Part II

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- limiting theoretical & experimental errors
- expected sensitivity from
CDF, D0, BTeV, ATLAS, CMS, LHCb
- prospects for error improvement
- SM vs. other model predictions

Phenomenology: SM predictions

Accuracy limited by lattice data for $f_{B_s}^2 \cdot B_S$

- $\Delta\Gamma_S / \Gamma_S = 0.16 \pm \overbrace{0.03}^{f_{B_s}} \pm \overbrace{0.04}^{B_S}$ **operator product /QCD**
heavy product expansion

<http://www-theory.fnal.gov/people/ligeti/Brun2/sept/nierste.pdf>

- $\Delta\Gamma_S / \Gamma_S = 0.12 \pm 0.06$ **quenched lattice QCD**

<http://cern.ch/nierste/uli.ps>

- $\Delta\Gamma_S / \Gamma_S = 0.11 \pm 0.07$ **QCD-NLO**

<http://www-theory.fnal.gov/people/nierste/wg3documents/cern.breport.ps.gz>

Existing measurements

- Assuming $\Gamma_S = \frac{1}{\tau(B_d)}$ (expected within $\pm 1\%$)

PDG2001

$$\frac{|\Delta\Gamma_S|}{\Gamma_S} < 0.32 \quad \text{C.L.} = 95\%$$

- Without external constraints

**LEP B-Oscillation Group
(CDF-RunI not included)**

$$\frac{|\Delta\Gamma_S|}{\Gamma_S} < 0.52 \quad \text{C.L.} = 95\%$$

Phenomenology \longrightarrow

$$\frac{|\Delta\Gamma_S|}{\Gamma_S} \sim 10 - 20\%$$

Phenomenology: beyond the SM

- SM : CP violation in B_S mixing small

$$\Gamma(B_S^{\text{short}}) - \Gamma(B_S^{\text{long}}) \equiv \Delta\Gamma_S \approx \Delta\Gamma_{CP} \equiv \Gamma(B_S^{\text{CP even}}) - \Gamma(B_S^{\text{CP odd}})$$

$$\Delta\Gamma_S = \Delta\Gamma_{CP} \cos\phi$$

CPV phase in mixing

$(\phi_{\text{SM}} \sim 0)$

- New physics: large CP violation; affects only $\Delta\Gamma_S$

$$a_{CP}(B_S \rightarrow J/\psi \Phi) \propto \sin\phi$$

determine

CPV phase

Experimental methods

- untagged data samples: sensitivity $\sim \left(\frac{\Delta\Gamma_S}{\Gamma_S} \right)^2$ $B_S \rightarrow \text{anything}$
- flavor specific: sensitivity $\sim \left(\frac{\Delta\Gamma_S}{\Gamma_S} \right)^2$ $B_S \rightarrow D_S \pi$
- CP eigenstates : sensitivity $\sim \Delta\Gamma_S \cdot \cos\varphi = \Delta\Gamma_{CP} \cdot \cos^2\varphi$
- CP eigenstate + (50%-even, 50%-odd)

$$\Delta\Gamma_S = 2 \times \left[\Gamma(B_S^{\text{CP even}}) - \Gamma(B_S^{\text{CP 50:50}}) \right]$$

...Experimental methods

- CP eigenstate + (50%-even, 50%-odd)

$$\Delta\Gamma_S = 2 \times \left[\Gamma(B_S^{\text{CP even}}) - \Gamma(B_S^{\text{CP 50:50}}) \right]$$

" $B_S \rightarrow J/\psi \Phi$ "

$B_S \rightarrow D_S \pi$

easy trigger!

- admixture of CP -even and CP -odd states
- the $\Delta\Gamma_S$ error depends on the admixture

CDF-RunI: $(73 \pm 19) \% CP\text{-even}$

Expected sensitivity: CDF-RunII

Mode	Sensitivity	Comments
$B_S \rightarrow J/\psi \Phi$ $B_S \rightarrow D_S \pi$	$\sigma(\Delta\Gamma_S/\Gamma_S) \sim 0.035$	100% even
$B_S \rightarrow J/\psi \Phi$ $B_S \rightarrow D_S \pi$	$\sigma(\Delta\Gamma_S/\Gamma_S) \sim 0.050$	73% even
$B_S \rightarrow J/\psi \Phi$ $B_S \rightarrow D_S \pi$	$\sigma(\Delta\Gamma_S/\Gamma_S) \sim 0.080$	50% even
$B_S \rightarrow D_S D_S$	$\sigma(\Delta\Gamma_S/\Gamma_S) \sim 0.060$	—

CDF-RunI:

$CP(J/\psi \Phi) =$

$(73 \pm 19) \% \text{ even}$

projected #'s
RunI to RunII
(MC: optimistic)

Notes:

- SM gives an upper limit of $\sim 20\%$ for $\Delta\Gamma_S/\Gamma_S$
- To claim a discovery, we need $\geq 5\sigma$

Expected sensitivity: BTeV

Table 8.9: Projections for statistical errors on $\Delta\Gamma_{CP}/\Gamma$ for combining lifetimes from different modes and for using all modes for 2, 10 and 20 fb^{-1} . The values $\Delta\Gamma_{CP}/\Gamma = 0.15$ and $f = 0.229$ are used for the main results and the results for other values of $\Delta\Gamma_{CP}/\Gamma$ and f are also shown for comparison.

Decay Modes Used	Error on $\Delta\Gamma_{CP}/\Gamma$		
	2 fb^{-1}	10 fb^{-1}	20 fb^{-1}
$J/\psi\eta^{(\prime)}, D_s^- \pi^+$	0.0273	0.0135	0.0081
$J/\psi\pi, D_s^- \pi^+$	0.0349	0.0158	0.0082
$J/\psi\eta^{(\prime)}, J/\psi\pi, D_s^- \pi^+$	0.0216	0.0095	0.0067
with $\Delta\Gamma_{CP}/\Gamma = 0.03$	0.0198	0.0088	0.0062
with $f = 0.13$	0.0171	0.0077	0.0054
with $f = 0.33$	0.0258	0.0112	0.0078

Remember:

$$\Delta\Gamma_S = \Delta\Gamma_{CP} \cos\phi$$

$$a_{CP}(B_S \rightarrow J/\psi \Phi) \propto \sin\phi$$

REPORT OF THE B PHYSICS AT THE TEVATRON WORKSHOP ❁

Notes:

- SM gives an upper limit of $\sim 20\%$ for $\Delta\Gamma_S/\Gamma_S$
- To claim a discovery, we need $\geq 5\sigma$

Expected sensitivity: LHC

ATLAS, CMS, LHCb:

$$\sigma\left(\frac{\Delta\Gamma_S \cdot \cos\varphi}{\Gamma_S}\right) \sim 0.012 - 0.018$$

Remember:

$$\Delta\Gamma_S \cdot \cos\varphi = \Delta\Gamma_{CP} \cdot \cos^2\varphi$$

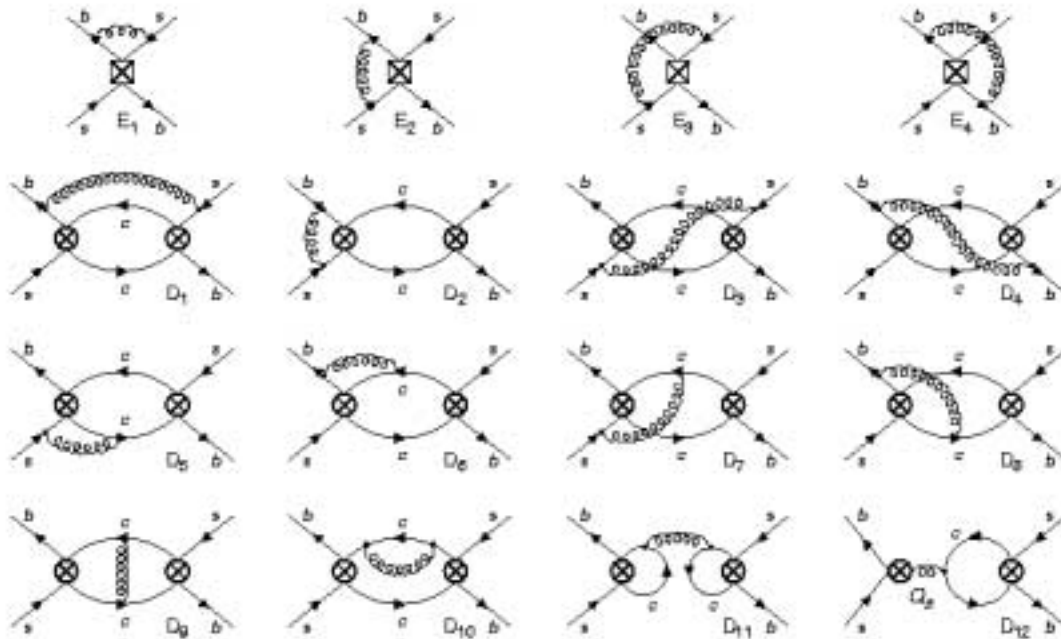
$$a_{CP}(B_S \rightarrow J/\psi \Phi) \propto \sin\phi$$

Notes:

- SM gives an upper limit of $\sim 20\%$ for $\Delta\Gamma_S/\Gamma_S$
- To claim a discovery, we need $\geq 5\sigma$

Phenomenology: prospects

How did we calculate $(\Delta\Gamma/\Gamma)_{B_s}$?



Alexander Lenz
(Regensburg)

...Phenomenology: prospects

- no NLO: $B = B_S = 1$ $f_{B_s} = 210\text{MeV}$
- Till 1999: $B(m_b) = 0.9$ $B_S(m_b) = 0.75$ $f_{B_s} = 210\text{MeV}$
- Summer conferences 1999:
 $B(m_b) = 0.76$ $B_S(m_b) = 1.19$ $f_{B_s} = 245\text{MeV}$

Yamata et al., Hashimoto

$\Delta\Gamma/\Gamma$	LO	LO + $1/m_b$	NLO
B=1	22 %	16 %	-
old	17%	10 %	6 %
new	35 %	27 %	16 %

Alexander Lenz
(Regensburg)

History on $\Delta\Gamma_s$

a) History of $\Delta\Gamma$

$$\frac{\Delta\Gamma(B_s)}{\Gamma} \sim 0.1$$

Hagelin
Chau
Buras et al.
Voloshin et al.

} early 80's

thought unobservable \Rightarrow dropped.

$B_s(t) \rightarrow D_s \ell \nu, D_s \pi \xrightarrow[\text{CDF}]{\text{LEP}}$ single exp. fit $\Rightarrow \tau(B_s)$
early 90's

$$\frac{|\Delta\Gamma|}{\Gamma} \left\{ \begin{array}{ll} \leq 0.83 & \text{CDF} \\ \leq 0.42 & \text{DELPHI} \\ \leq 0.67 & \text{L3 (topological)?} \end{array} \right.$$

**Isard Dunietz
(Fermilab)**

...History on $\Delta\Gamma_S$

$$\frac{\Delta\Gamma(B_s)}{\Gamma} \sim 0.1$$

Aleksan et al

Bigi et al

late 90's

Benekke, Buchalla, Dunietz

Benekke, Buchalla, Greib, Lenz, Mierste

**Isard Dunietz
(Fermilab)**

Possible scenarios

CDF X_s Measures in SM range	$\Delta\Gamma_{B_s}$ too small to measure	Depending on Lattice errors...could be new physics
	$\Delta\Gamma_{B_s}$ measured	Test SM prediction
X_s too big to measure	$\Delta\Gamma_{B_s}$ too small to measure	Likely to be new physics
	$\Delta\Gamma_{B_s}$ measured	Depending on measurement and lattice errors..could still be new physics

**Matin Martin
(Oxford)**

Expected sensitivities: References

- <http://mit2.fnal.gov/~paus/bw1999/MEETINGS/000217-delta-gamma.ps>
- http://www-theory.fnal.gov/people/nierste/second_ws_talks/martin.ps.gz
- http://www-theory.fnal.gov/people/nierste/second_ws_talks/cheung.ps.gz
- http://home.fnal.gov/~cheung/Public/run2/btev_deltag.ps.gz
- <http://home.fnal.gov/~cheung/Public/run2/main.ps.gz>
- <http://mit.fnal.gov/~paus/TMP/Breport/main.ps>
- <http://cern.ch/nierste/uli.ps>
- hep-ph/0003238